

## Introduction to Fluid Statics and Manometers

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 Mechanical Engineering 390  
**Fluid Mechanics**

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## Outline

- Review course introduction
- Pressure independent of direction
- Pressure-density-distance relationship in a static (nonmoving fluid)
- Use of manometers for pressure measurements
- Calculations with manometers.

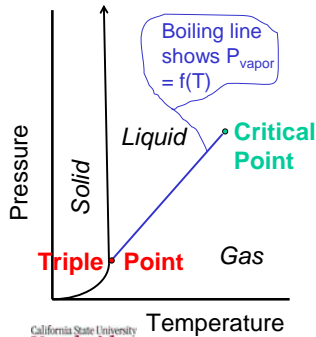
## Review

- Dimensions and units
  - SI, BG and EE unit systems
- Fluid density,  $\rho$ , (mass/volume) and specific weight (weight/volume),  $\gamma = \rho g$ , and specific gravity
- States of matter and vapor pressure
- Viscosity
- Surface tension

## Review Typical Units

Quantity	SI units	EE units	BG units
Density	kg/m <sup>3</sup>	lb <sub>m</sub> /ft <sup>3</sup>	slug/ft <sup>3</sup>
Pressure & shear stress	kPa = kN/m <sup>2</sup>	1 psi = 1 lb <sub>f</sub> /in <sup>2</sup> = 144 psf = 144 lb <sub>f</sub> /ft <sup>2</sup>	
Velocity	m/s		ft/s
Viscosity	N·s/m <sup>2</sup> = kg/m·s	lb <sub>f</sub> ·s/ft <sup>2</sup> = 32.2 lb <sub>m</sub> /ft·s	lb <sub>f</sub> ·s/ft <sup>2</sup> = slug/ft·s
Specific weight = $\rho g$	N/m <sup>3</sup>		lb <sub>f</sub> /ft <sup>3</sup>
	Tabulated values at standard gravity		

## Review States of Matter



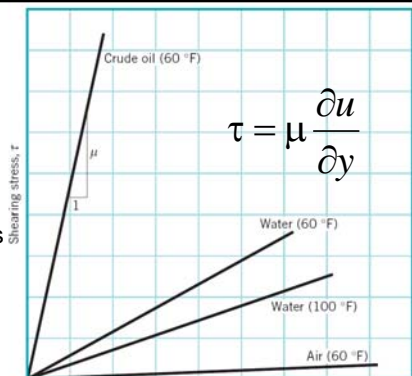
- **Triple point:** solid, liquid and vapor coexist
- No liquid-gas transition above **critical point**
- **Vapor pressure** for liquid-gas transition

## Viscosity

### Newtonian Fluids

have a linear variation of shearing stress with rate of shearing strain – slope is viscosity

Figure 1.4 (p. 15)



### Review Surface Tension

- Vertical force balance:  $\gamma\pi R^2 h = 2\pi R\sigma\cos\theta$ 
  - Surface tension depends on fluid, temperature; wetting angle,  $\theta$ , depends on fluid and surface

$$h = \frac{2\sigma\cos\theta}{\gamma R}$$

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### Pressure Relations

- Pressure is a scalar
- The force exerted by a pressure is the same in all directions
- Want to see how pressure changes in a static (nonmoving) fluid
- Look at balance of pressure force and fluid weight over a differential volume element,  $\delta x\delta y\delta z$

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Gravity in  $-z$  direction

Sum forces in each direction and divide by  $\delta x\delta y\delta z$

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**Results**

$$\frac{\partial p}{\partial x} = 0 \quad \frac{\partial p}{\partial y} = 0 \quad \frac{\partial p}{\partial z} + \gamma = 0$$

### Integrating the Result

- Since  $\partial p/\partial x = \partial p/\partial y = 0$ ,  $p = f(z)$  only, and we can write  $\partial p/\partial z = -\gamma$  as  $dp/dz = -\gamma$
- Multiply by  $dz$  and integrate between two points  $(p_1, z_1)$  and  $(p_2, z_2)$

$$\int_{p_1}^{p_2} dp = p_2 - p_1 = -\int_{z_1}^{z_2} \gamma dz$$

- To integrate  $\gamma dz$  we have to know how  $\gamma$  depends on  $z$

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### Incompressible Fluid

- An incompressible fluid has constant density (and specific weight)
- For an incompressible (constant density) fluid then

$$p_2 - p_1 = -\int_{z_1}^{z_2} \gamma dz = -\gamma \int_{z_1}^{z_2} dz = -\gamma(z_2 - z_1)$$

$$p_2 + \gamma z_2 = p_1 + \gamma z_1$$

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### Incompressible Fluid II

- Which pressure is higher?

$$p_1 = p_2 + \gamma(z_2 - z_1)$$

$$p_1 = p_2 + \gamma h > p_2$$

- Pressure increases with depth

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### Problem

- If the pressure at the surface of a body of water ( $\gamma = 9789 \text{ N/m}^3$  at  $20^\circ\text{C}$ ) is 101 kPa, what are the pressures at depths of 10 m and 100 m?

- **Given:**  $p_1 = 101 \text{ kPa}$  at  $z_1 = 0$
- **Find:**  $p$  at  $z_2 = -10 \text{ m}$  and  $z_3 = -100 \text{ m}$
- **Equation:**

$$p_2 + \gamma z_2 = p_1 + \gamma z_1 \Rightarrow p_2 = p_1 + \gamma(z_1 - z_2)$$

### Solution

Depth = 10 m

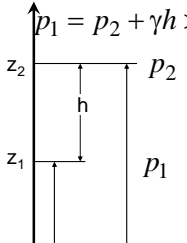
$$p_2 = p_1 + \gamma(z_1 - z_2) = 101 \text{ kPa} + \frac{9789 \text{ N}}{\text{m}^3} [0 \text{ m} - (-10 \text{ m})] \frac{\text{kPa} \cdot \text{m}^2}{1000 \text{ N}} = 198.9 \text{ kPa}$$

Depth = 100 m

$$p_3 = p_1 + \gamma(z_1 - z_3) = 101 \text{ kPa} + \frac{9789 \text{ N}}{\text{m}^3} [0 \text{ m} - (-100 \text{ m})] \frac{\text{kPa} \cdot \text{m}^2}{1000 \text{ N}} = 1080 \text{ kPa}$$

### Pressure Head

$$p_1 = p_2 + \gamma(z_2 + z_1) \quad \bullet \text{ Fluid height equivalent to } h = \frac{p_2 - p_1}{\gamma}$$



- $p_1 = p_2 + \gamma h > p_2$  a pressure difference
- $h$  is called pressure head
- For  $p_2 - p_1 = 14.696 \text{ psia} = 101.325 \text{ kPa}$ ,  $h = 0.76 \text{ m} = 29.92 \text{ in}$  for Hg
- What is  $h$  for water at this  $\Delta p$ ?

### $\Delta P = 1 \text{ Atm}$ for Water at $20^\circ\text{C}$

- At  $20^\circ\text{C}$ ,  $\gamma_{\text{water}} = 9789 \text{ N/m}^3 = 62.32 \text{ lb}_f/\text{ft}^3$  (p 761, text)

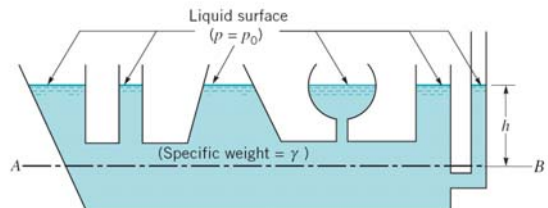
$$h = \frac{p_2 - p_1}{\gamma} = \frac{14.696 \text{ lb}_f \cdot 144 \text{ in}^2}{62.32 \text{ lb}_f \cdot \text{ft}^2} = 33.96 \text{ ft}$$

$$h = \frac{p_2 - p_1}{\gamma} = \frac{101.325 \text{ kPa} \cdot 1000 \text{ N}}{9789 \text{ N} \cdot \text{m}^3} = 10.35 \text{ m}$$

### Free Surface

- Surface of liquid open to atmosphere is called a "free surface"
  - Pressure,  $p_0$ , is atmospheric pressure,  $p_0$
  - Height,  $z_0 = 0$
  - In the liquid,  $p + \gamma z = p_0 + \gamma z_0$ , where  $z < 0$
  - Depth  $h = z_0 - z > 0$
  - $p = p_0 + \gamma(z_0 - z) = p_0 + \gamma h$
- Pressure,  $p$ , at depth,  $h$ , not influenced by size or shape of container

### Free Surface II



- Pressure,  $p$ , at depth,  $h$ , not influenced by size or shape of container

### Reference Pressure

- Free surface equation:  $p = p_0 + \gamma(z_0 - z)$
- Apply this to two different pressures
  - $p_1 = p_0 + \gamma(z_0 - z_1)$
  - $p_2 = p_0 + \gamma(z_0 - z_2)$
- Find  $p_2 - p_1$  from these equations
  - Result:  $p_2 - p_1 = p_0 + \gamma(z_0 - z_2) - [p_0 + \gamma(z_0 - z_1)] = \gamma(z_1 - z_2)$  independent of  $p_0$  or  $z_0$
- Reference pressure cancels in taking pressure differences

### Gage Pressure

- For taking pressure differences, we can use any reference pressure
- Many pressure measurement methods measure the difference between actual and atmospheric pressure
- We can use this measured pressure difference, called gage pressure, directly in  $\Delta p$  calculations
- $p_{\text{absolute}} = p_{\text{gage}} + p_{\text{atmosphere}}$

### Gage and Absolute Pressure

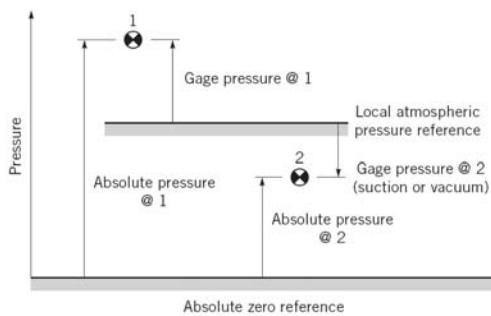
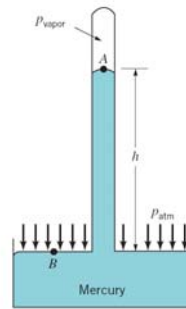


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### Barometric Pressure



- Mercury barometer used to measure atmospheric pressure
  - Top is evacuated and fills with mercury vapor
  - $P_{\text{atm}} = \gamma h + p_{\text{vapor}}$
  - $p_{\text{vapor}} = 0.000023 \text{ psia} = 0.1586 \text{ Pa}$  at  $68^\circ\text{F}$  ( $20^\circ\text{C}$ )
  - $h = 760 \text{ mm} = 29.92 \text{ in}$  for standard atmosphere

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### What a Barometer Measures

- It actually measures the local pressure
- A barometer in a undersea submersible, pressurized to 4 times atmospheric pressure would measure this level
- Weather barometer readings are corrected to mean sea level
- Standard atmosphere: 760 mm Hg, 760 torr, 29.921 in Hg, 101.325 kPa, 14.696 psia, 2116.2 psfa, 1013.25 mbar

### Gage/Absolute Notation

- For pressure differences a specification of gage or absolute is **not** required
- Traditional notation is psig (or psfg) and psia (or psfg) for gage and absolute pressure, respectively
- Can also use kPa(abs) or kPa(gage)
- Munson uses psi or kPa for gage pressures and psi(abs) or kPa(abs) for absolute pressures

### Variable Density

- **Problem:** integrate  $dp/dz = -\gamma z$  when density (and hence  $\gamma$ ) is not constant
- **Simple solution:** for gases  $\gamma$  is small so that  $p$  does not change much with  $z$ 
  - E. g. air at atmospheric pressure and  $T = 20^\circ\text{C}$  has  $\gamma = 11.81 \text{ N/m}^3$
  - If  $\gamma = 11.81 \text{ N/m}^3$  were constant an elevation change of 10 m gives  $\Delta p = (11.81 \text{ N/m}^3)(10 \text{ m}) = 118.1 \text{ N/m}^2 = 0.1181 \text{ kPa}$

### Variable Density II

- **Result:** the pressure change of 0.1181 kPa is only 0.12% of  $p_{\text{atm}} = 101.325 \text{ kPa}$
- **Simple solution:** for gases with small elevation changes we can assume that the specific weight is constant!
- This is not valid for changes of several kilometers as in the atmosphere
  - Standard atmosphere defined and used for aerospace designs

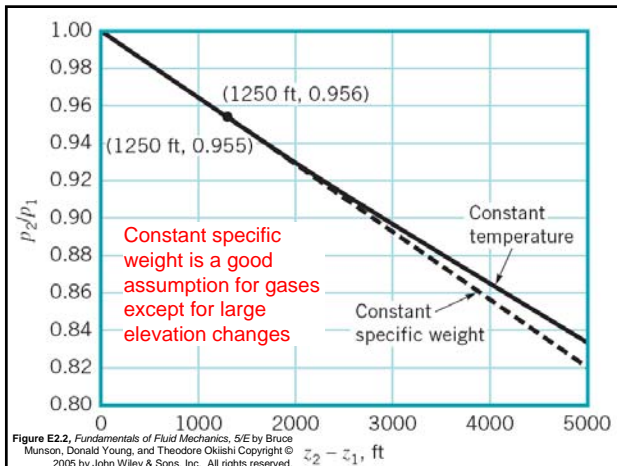
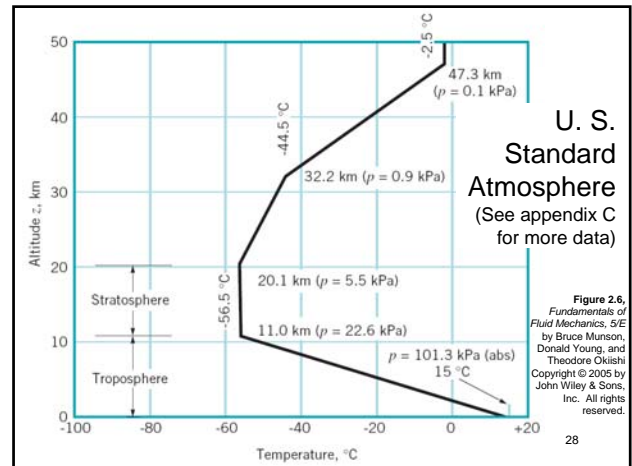


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U. S. Standard Atmosphere (See appendix C for more data)

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### Piezometer

- A passage between a container (such as the pipe at A) and the atmosphere is called a piezometer tube
- For a piezometer tube the pressure in the fluid,  $p_A = p_1 = p_{\text{atm}} + \gamma_1 h_1$
- $p_{\text{atm}}(\text{gage}) = 0$

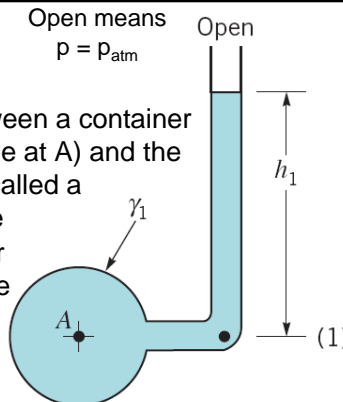


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### Problem

- Find the pressure at point A if the fluid is water at  $20^\circ\text{C}$ ,  $h_1 = 0.2 \text{ m}$ , and  $p_{\text{atm}} = 101 \text{ kPa}$
- From table B.2,  $\gamma_1 = \gamma_{\text{water}} = 9.789 \text{ kN/m}^3$  at  $20^\circ\text{C}$
- $p_A = p_1 = p_{\text{atm}} + \gamma_1 h_1$

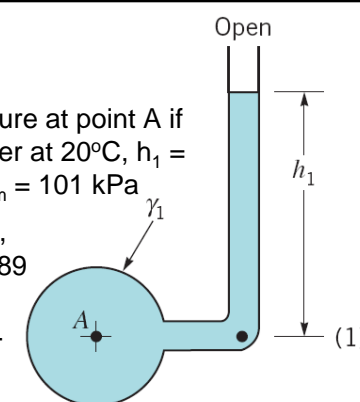


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### Solution

- $h_1 = 0.2 \text{ m}$ ,  $p_{\text{atm}} = 101 \text{ kPa}$ , and  $\gamma_1 = \gamma_{\text{water}} = 9.789 \text{ kN/m}^3$
- $p_A = p_{\text{atm}} + \gamma_1 h_1$

$$P_A = 101 \text{ kPa} + \frac{9.789 \text{ kN}}{\text{m}^3} (0.2 \text{ m}) \frac{\text{kPa} \cdot \text{m}^2}{1 \text{ kN}}$$

- $p_A = 103 \text{ kPa}$  (absolute)
- $p_A = 1.96 \text{ kPa}$  (gauge)

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### Simple U-Tube Manometer

- Manometers measure pressure by measuring height differences
- Point A is fluid ( $\gamma = \gamma_1$ ) in a pipe
- $h_1$  and  $h_2$  are measured
- Gage fluid has  $\gamma = \gamma_2$
- What is pressure at A?

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### Simple U-Tube Manometer II

- Right side:  $p_3 = p_{\text{atm}} + \gamma_2 h_2$
- Left side:  $p_2 = p_A + \gamma_1 h_1$
- $p_3 = p_2$  gives  $p_{\text{atm}} + \gamma_2 h_2 = p_A + \gamma_1 h_1$
- Conclusion:  $p_A = p_{\text{atm}} + \gamma_2 h_2 - \gamma_1 h_1$

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### Simple U-Tube Manometer III

- Result for absolute pressure:  $p_A = p_{\text{atm}} + \gamma_2 h_2 - \gamma_1 h_1$
- Result for gage pressure:  $p_A = \gamma_2 h_2 - \gamma_1 h_1$

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- Given:** Known specific weights and measured heights shown above
- Find:**  $p_A - p_B$  **Equation:**  $p_\alpha + \gamma Z_\alpha = p_\beta + \gamma Z_\beta$

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$$p_A = p_1 + \gamma_1 h_1 \quad p_1 = p_2 = p_3 \quad p_3 = p_4 + \gamma_2 h_2$$

$$p_5 = p_4 \quad p_B = p_5 + \gamma_1 (h_1 + h_2)$$

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Combine first set of equations

$$p_A = p_1 + \gamma_1 h_1 \quad (p_1 = p_2 = p_3) \quad p_3 = p_4 + \gamma_2 h_2$$

$$p_A = p_1 + \gamma_1 h_1 = p_3 + \gamma_1 h_1 = p_4 + \gamma_2 h_2 + \gamma_1 h_1$$

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Combine result from previous page with second set of equations

$$p_A = p_4 + \gamma_2 h_2 + \gamma_1 h_1$$

$$p_5 = p_4 \quad p_B = p_5 + \gamma_1 (h_1 + h_2)$$

$$p_A = p_5 + \gamma_2 h_2 + \gamma_1 h_1 = p_B - \gamma_1 (h_1 + h_2) + \gamma_2 h_2 + \gamma_1 h_1$$

$$p_A - p_B = (\gamma_2 - \gamma_1) h_2$$

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### Incline Manometer Problem

- Incline used to increase accuracy for small pressure differences
- Want to find  $p_B - p_A$  when we know  $\gamma_1, \gamma_2, \gamma_3, h_1, \ell_2, h_3,$  and  $\theta$

Equation:

$$p_\alpha + \gamma Z_\alpha = p_\beta + \gamma Z_\beta$$

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### Incline Manometer Problem II

$$p_1 = p_A + \gamma_1 h_1 \quad (p_1 = p_2 + \gamma_2 (z_2 - z_1) = p_2 + \gamma_2 \ell_2 \sin \theta)$$

$$p_2 = p_B + \gamma_3 h_3 \Rightarrow p_B = p_2 - \gamma_3 h_3$$

$$p_B = p_2 - \gamma_3 h_3 = p_1 - \gamma_2 \ell_2 \sin \theta - \gamma_3 h_3$$

$$p_B = p_A + \gamma_1 h_1 - \gamma_2 \ell_2 \sin \theta - \gamma_3 h_3$$

$$p_A - p_B = \gamma_3 h_3 + \gamma_2 \ell_2 \sin \theta - \gamma_1 h_1$$

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### Solving Manometer Problems

- Basic equation: pressures at two depths in same fluid:  $p_2 = p_3 + \gamma(z_3 - z_2) = p_3 + \gamma h$
- “Open” means  $p = p_{atm}$ 
  - $p_{atm} = 101.325 \text{ kPa} = 14.696 \text{ psia}$
  - For gage pressure,  $p_{atm} = 0$
- Same pressures at same level on two sides of a manometer
  - $p_2 = p_3$

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### Solving Manometer Problems II

- Write equations for (1) pressures at two depths in same fluid and (2) equal pressures at same level (with same fluid) at all branches in manometer.
- Eliminate intermediate pressures from equations to get desired  $\Delta P$
- Watch units for length, psi or psf, N or kN
  - For gases  $\gamma \Delta z \approx 0$

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### Problem

- Given:** air at 0.50 psig,  $p_A = 2$  psig, and  $\gamma_{oil} = 54.0 \text{ lb}_f/\text{ft}^3$  and other data shown on diagram. **Find:**  $z$  and  $h$

$$P_A - p_{air} = \gamma_{oil} z$$

$$z = \frac{P_A - p_{air}}{\gamma_{oil}}$$

$$= \frac{2 \text{ lb}_f/\text{in}^2 - 0.5 \text{ lb}_f/\text{in}^2}{54.0 \text{ lb}_f/\text{ft}^3}$$

$$= \frac{1.5 \text{ lb}_f/\text{in}^2}{54.0 \text{ lb}_f/\text{ft}^3} = \frac{1.5 \text{ lb}_f/\text{in}^2 \cdot 144 \text{ in}^2/\text{ft}^2}{54.0 \text{ lb}_f/\text{ft}^3} = 4 \text{ ft}$$

**z = 4 ft**

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### Problem Continued

- Given:** air at 0.50 psig,  $p_A = 2$  psig, and  $\gamma_{oil} = 54.0 \text{ lb}_f/\text{ft}^3$  and other data shown on diagram. **Find:**  $h$

$$P_A + \gamma_{oil}(2 \text{ ft}) = P_{open} + \gamma_{mano} h$$

$$\gamma_{mano} = SG_{mano} \gamma_{H_2O}$$

$$= 3.05 \left( \frac{62.4 \text{ lb}_f}{\text{ft}^3} \right) = \frac{190.3 \text{ lb}_f}{\text{ft}^3}$$

**$P_{open} = 0$  psig**

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### Problem Concluded

- $p_{open} = 0$  psig,  $\gamma_{mano} = 190.3 \text{ lb}_f/\text{ft}^3$ ,  $h = ?$

$$P_A + \gamma_{oil}(2 \text{ ft}) = P_{open} + \gamma_{mano} h$$

$$h = \frac{P_A + \gamma_{oil}(2 \text{ ft}) - P_{open}}{\gamma_{mano}}$$

$$h = \frac{2 \text{ lb}_f/\text{in}^2 + \frac{54.0 \text{ lb}_f}{\text{ft}^3} (2 \text{ ft})}{190.3 \text{ lb}_f/\text{ft}^3}$$

$$h = \frac{2 \text{ lb}_f/\text{in}^2 \cdot 144 \text{ in}^2/\text{ft}^2 + 108 \text{ lb}_f/\text{ft}^2}{190.3 \text{ lb}_f/\text{ft}^3} = 2.08 \text{ ft}$$

**h = 2.08 ft**

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### Problem 2.38

A hemispherical shell on the ocean floor has an internal barometric pressure of 765 mm Hg. A mercury manometer measures the differential pressure between the sea outside and the shell interior as shown in the diagram. What is the pressure at the ocean surface?

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### Problem 2.38 Part 2

$P_{shell} = \gamma_{Hg} h_{baro} = 133 \text{ kN/m}^3 (0.765 \text{ m}) = 101.745 \text{ kN/m}^2$

$P_{ocean} = P_{shell} + \gamma_{Hg} (0.735 \text{ m}) = P_{right} = P_{ocean} + \gamma_{sea \text{ water}} (10 \text{ m} + 0.36 \text{ m})$

Use specific weight data from Table 1-6 (ignore difference in temperature)

$\gamma_{Hg} = 133 \text{ kN/m}^3$

$\gamma_{sea \text{ water}} = 10.1 \text{ kN/m}^3$

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### Problem 2.38 Part 3

- Rearrange equations from previous slide and substitute given data

$$P_{left} = P_{shell} + \gamma_{Hg} (0.735 \text{ m}) = P_{right} = P_{ocean} + \gamma_{sea \text{ water}} (10.36 \text{ m})$$

$$P_{ocean} = P_{shell} + \gamma_{Hg} (0.735 \text{ m}) - \gamma_{sea \text{ water}} (10.36 \text{ m})$$

$$P_{shell} = \gamma_{Hg} h_{baro} = \left( \frac{133 \text{ kN}}{\text{m}^3} \right) (0.765 \text{ m}) = \frac{101.745 \text{ kN}}{\text{m}^2}$$

$$P_{ocean} = \frac{101.745 \text{ kN}}{\text{m}^2} + \frac{133 \text{ kN}}{\text{m}^3} (0.735 \text{ m}) - \frac{10.1 \text{ kN}}{\text{m}^3} (10.36 \text{ m})$$

$$P_{ocean} = \frac{94.9 \text{ kN}}{\text{m}^2} = 94.9 \text{ kPa}$$

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