



## Eclipses

The Moon orbits the Earth in a plane that is inclined to the plane of the Ecliptic at an angle of approximately 5 degrees, as depicted in (figure 1). When the Moon has the same Ecliptic longitude as the Sun it is called a New Moon. When the Moon has an Ecliptic longitude greater than the Sun's by 180 degrees we call it a Full Moon. It takes approximately 29 ½ days for the Moon to go through all its phases and become a New Moon again. Twice every lunar orbit the Moon crosses the Ecliptic. These two points are known as the Ascending Node and Descending Node.

Both the Earth and the Moon cast shadows into space. When the shadow of the Moon falls onto the Earth a Solar Eclipse occurs. When the shadow of the Earth falls onto the Moon a Lunar Eclipse occurs. For a Solar Eclipse to occur, the Moon must cross the Ecliptic within 18.5 degrees of the Sun's current Ecliptic longitude at New Moon. This region that guarantees an Eclipse is called the Eclipse Limits as shown in (Figure 1). Every six months the Moon crosses the Ecliptic within the Eclipse Limits and an eclipse occurs.

An interesting property of eclipses is that nearly identical eclipse occurs every 18 years 11 days and 8 hours. This occurs because the line of nodes rotates in a westward direction taking 18 years to complete a full rotation. In the example discussed later eclipses will occur in Feb and July due to the rotation of the line of nodes.

## The Moons Orbit

When a Satellite orbits the Earth the orbit will be an ellipse (Figure 2). An ellipse has the property that the sum of the distance of the orbiting body from the two foci of the ellipse is a constant. The Earth is located at one foci as shown in figure 2. The point of closest approach is called perigee (Pe), and the point of furthest distance is called apogee (Ap).

Eccentricity measures how elongated an orbit is. The higher the eccentricity the more elongated the ellipse. A circle has an eccentricity of zero.

The eccentricity can be calculated from the Apogee and Perigee distance of the orbiting body with the following formula;

$$e = \frac{Ap - Pe}{Ap + Pe}$$

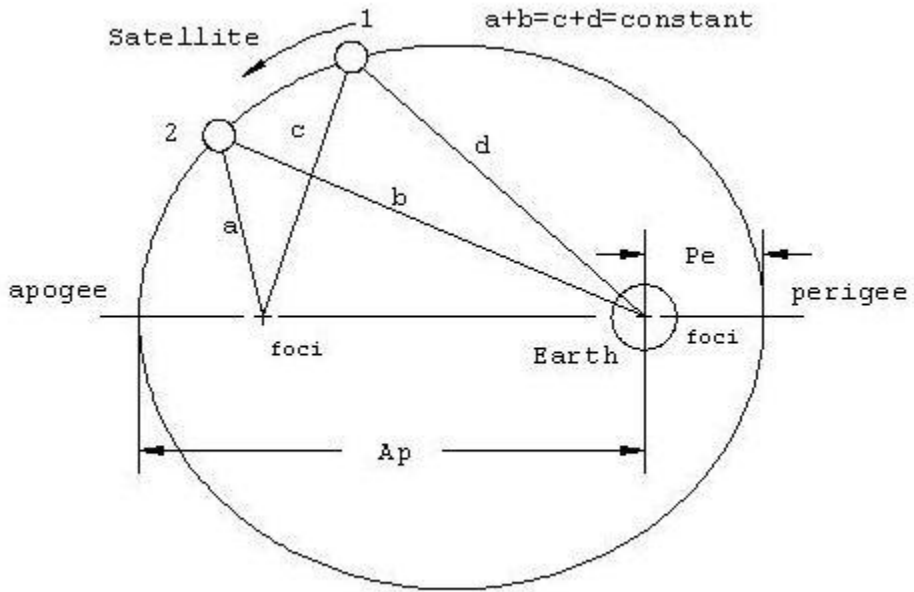
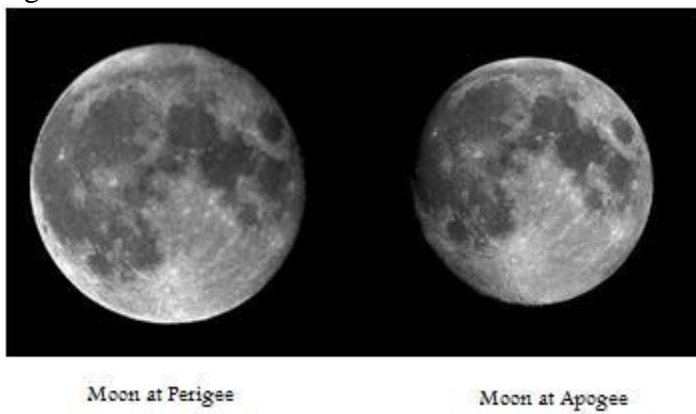


Figure 2

Figure 3



As the Moon orbits the Earth its distance from the Earth changes, and so does its observed angular size. The pictures in Figure 3 were taken with the same telescope with the same magnification on different dates. The change in angular diameter of the Moon is quite obvious. The change in Angular size is directly proportional to the distance of the Moon. If the Moon was twice as close to the Earth it would appear twice as big in the sky.

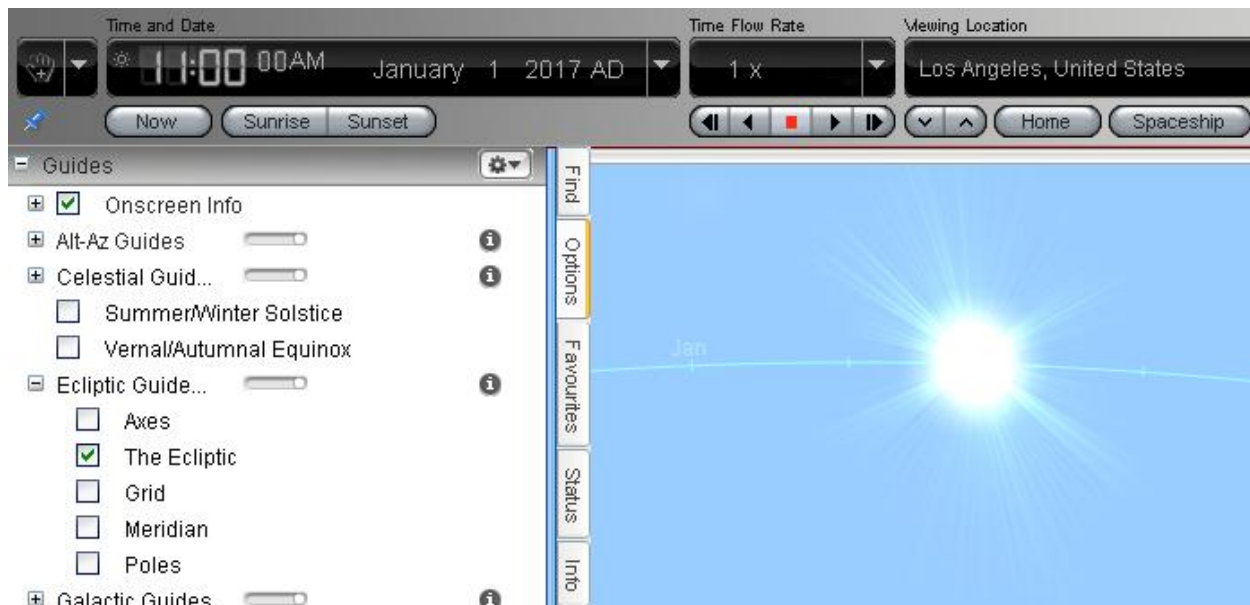
## Instructions:

Over the period of a simulated month, we will look at the position of the Moon using the Starry Night software. The distance away will be used to calculate the eccentricity of the Moon's orbit. We will also measure the Ecliptic longitude and Ecliptic latitude of the Moon for each observation and use it to tell us whether the Moon is above or below the plane of the Ecliptic. From this we can find the Ecliptic longitude of both the Ascending and Descending node. We will then find the dates for the eclipse seasons.

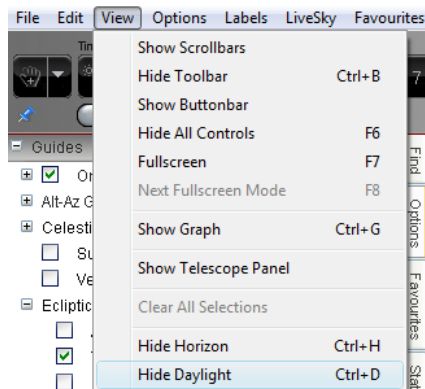
Open Starry Night and be sure your location is set L.A., Ca.

**Begin by setting the date to January 1, 2017 and the time to 11:00 a.m.**

Open **Options** located in the tabs on the left of your screen and expand **Guides** by clicking the plus sign next to it. Within this field expand **Ecliptic Guides** by clicking the plus sign next to it. Within this field check the box labeled **The Ecliptic**.

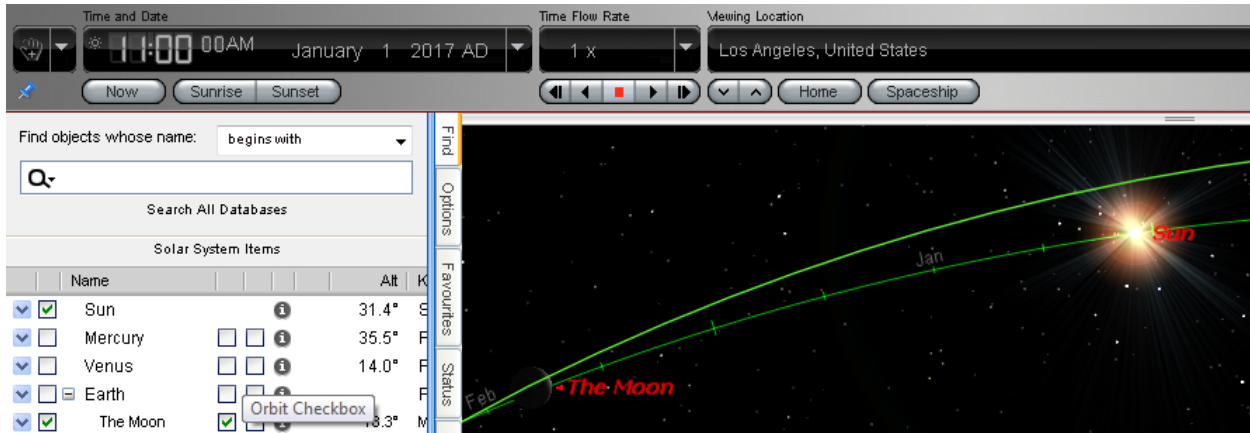


In the toolbar, open **View** and select **Hide Daylight** to aid in seeing the Moon during the day.



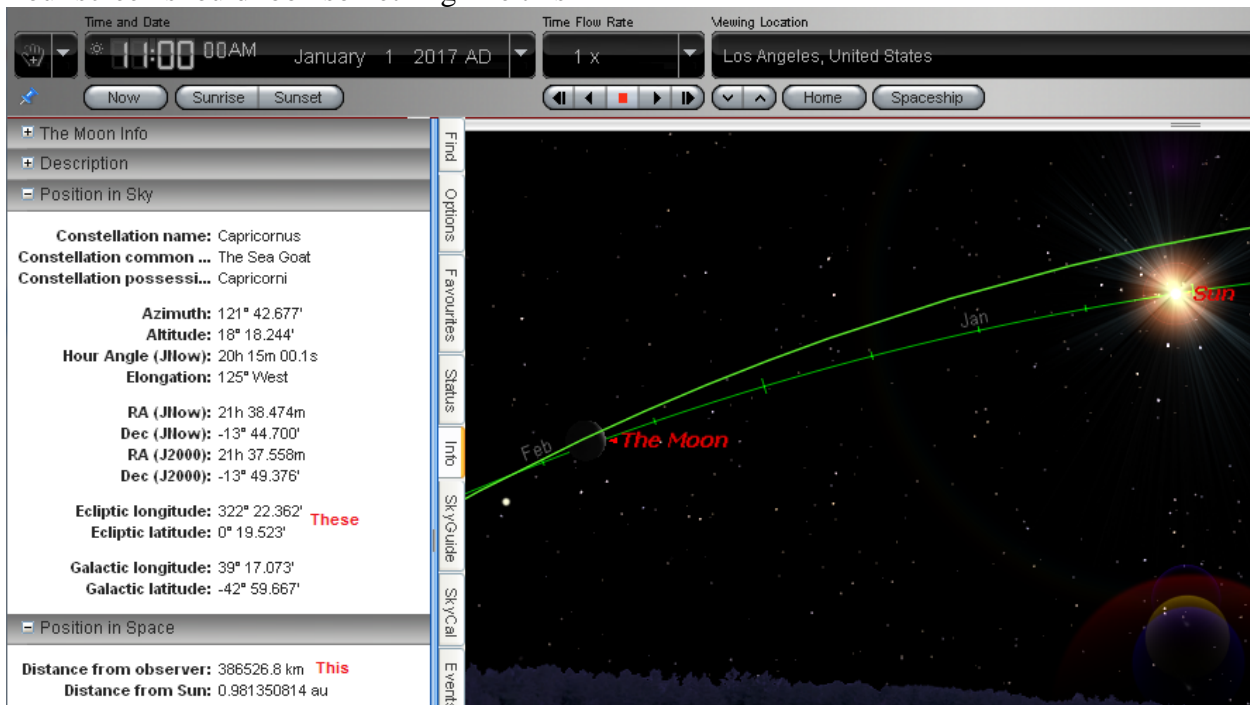
Open **Find** located in the tabs on the left of your screen. Within this field check the box labeled **Sun** and **the Moon**. Also check the orbit checkbox to the right of the moon.

Your screen should look something like this



Now open **Info** located in the tabs on the left of your screen. Expand **Position in Sky** and **Position in Space** by clicking the plus sign next to each. Within these three fields we will get all of our data; **Ecliptic longitude**, **Ecliptic latitude**, **Distance from Observer**.

Your screen should look something like this



For each day record the missing data into the table in your answer sheet and answer the questions that follow. All data should be taken at the times given.

Date in <b>2017</b>	Ecliptic Longitude	Ecliptic Latitude	Distance from Observer
Jan 1 at 11 a.m.			
Jan 4 at 3 p.m.			
Jan 7 at 3 p.m.			
Jan 10 at 7 p.m.			
Jan 13 at 10 p.m.			
Jan 16 at 2 a.m.			
Jan 19 at 2 a.m.			
Jan 22 at 5 a.m.			
Jan 25 at 9 a.m.			
Jan 27 at 9 a.m.			

**Also look at August 21, 2017 at 9 a.m. What do you see?**

### ECLIPSE SEASONS

On the ecliptic graph paper provided, plot the Ecliptic Longitude and Ecliptic Latitude of the Moon for each day in the table. Draw a smooth curve connecting the points. Find the nodes of the Moon's orbit (the points where the Moon's path crosses the ecliptic) and note the Ecliptic Longitude of each node.

Now estimate the days on which the Sun will be located at one of the nodes. To do this estimate each month having 30 days and the Sun increasing its ecliptic longitude by one degree each day. So take the ecliptic longitude of the node and divide by 30 noting the remainder. The number is the number of months past March 21 and the remainder is the number of days following. For example, if a node is located at an ecliptic longitude of  $135^\circ$ , we first divide by 30 and get an answer of 4.5, which is 4 with a remainder of 15 (**do the division long hand**). This means that the Sun will be located at this node 4 months and 15 days after March 21. The four months get us to July 21. Then add 15 days to get the date of August 6.

1. What is the approximate ecliptic longitude of the Moon at the Ascending Node? \_\_\_\_\_
2. What is the approximate ecliptic longitude of the Moon at the Descending Node? \_\_\_\_\_
3. Using the above procedure, estimate when the Sun will next be located at each of the nodes;

Ascending Node Date-

Descending Node Date-

## Answer Sheet-Lab 7

Name-

Date in <b>2017</b>	Ecliptic Longitude	Ecliptic Latitude	Distance from Observer
Jan 1 at 11 a.m.			
Jan 4 at 3 p.m.			
Jan 7 at 3 p.m.			
Jan 10 at 7 p.m.			
Jan 13 at 10 p.m.			
Jan 16 at 2 a.m.			
Jan 19 at 2 a.m.			
Jan 22 at 5 a.m.			
Jan 25 at 9 a.m.			
Jan 27 at 9 a.m.			

**On August 21, 2017 at 9 a.m. What do you see?**

1. What is the approximate ecliptic longitude of the Moon at the Ascending Node? \_\_\_\_\_

2. What is the approximate ecliptic longitude of the Moon at the Descending Node? \_\_\_\_\_

3. Using the above procedure, estimate when the Sun will next be located at each of the nodes;

Ascending Node Date-

Descending Node Date-

4. How many days off was your closest possible eclipse date to the actual Solar eclipse on August 21, 2017? \_\_\_\_\_

5. From your data, which distance must be nearest the apogee distance of the Moon? \_\_\_\_\_

6. From your data, which distance must be nearest the perigee distance of the Moon? \_\_\_\_\_

7. Using your answers from #4 and #5, calculate the eccentricity of the Moon's orbit. \_\_\_\_\_

