

- 3) c, f, g are algebraic expressions
 a, d, h are numerical expressions, so they are also algebraic expressions
 (recall: any numerical expression is an algebraic expression)

Notes: (b) $3 \div 7$ is not a numerical expression (doesn't represent a single number)
 (e) $3x + 2 = 7$ is an equation
 (i) $y \div 0$ is not an algebraic expression (doesn't represent a number for any choice of numerical value for y)

5) $3(x+2) = 3x + 6$
 $3x + 6 - x = 2x + 6$
 $2x + 6 + 8 = 2x + 14$

~~$3(x+2) \ominus 3x + 6 - x \ominus 2x + 6 + 8$~~
 wrong wrong $\ominus 2x + 14$
 correct

He should have written:

$$\begin{aligned} & 3(x+2) - x + 8 \\ &= 3x + 6 - x + 8 \\ &= 2x + 6 + 8 \\ &= 2x + 14 \end{aligned}$$

6) a) m feet = $\boxed{12m}$ inches

b) Perimeter = $\boxed{4s}$ cm
 $s \boxed{} s$

c) x nickels and y dimes
 = $\boxed{5x + 10y}$ cents

d) $6z$ ounces = $\boxed{\frac{6z}{16}}$ pounds
 (using 16 ounces = 1 pound)

e) Three consecutive whole numbers
 the smallest of which is n

$\boxed{n, n+1, n+2}$

f) avg speed of the train = $\boxed{\frac{w}{5}}$ miles per hr

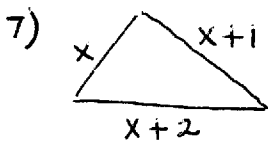
g) BILL: B years old

ANN: $(B-18)$ years old

CARMEN: $\frac{1}{5}(B-18)$ years old

DANA: $\boxed{\frac{1}{5}(B-18) + 4}$ years old

simplify \downarrow
 $= \frac{1}{5}B - \frac{18}{5} + \frac{20}{5}$
 $= \boxed{\frac{1}{5}B + \frac{2}{5}}$ years old



Perimeter = 27 ins

$$x + (x+1) + (x+2) = 27$$

$$3x + 3 = 27$$

$$3x = 24$$

$$x = 8$$

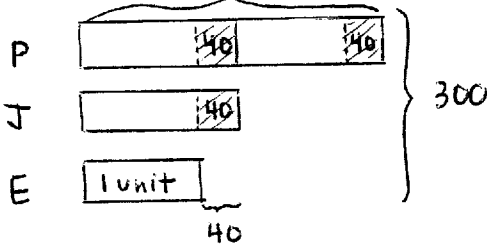
Let x = length in inches of the shortest side.

The shortest side is 8 inches

(The three sides are 8 ins, 9 ins, 10 ins)

8) a) (5A, p 25) Problem 6 (This was the problem we worked out in class 2 ways)

Method 1 ?



$$4 \text{ units} + 120 = 300$$

$$4 \text{ units} = 300 - 120 = 180$$

$$1 \text{ unit} = 180 \div 4 = 45$$

$$P \text{ has } \underbrace{45 + 40 + 45 + 40}_{(2 \times 45) + 80} = 170 \text{ stickers}$$

Using algebra

Let x = ~~E's amount~~ The number of stickers E has
 Then $x + 40 =$ ~~J's amount~~ the no. of stickers J has
 and $2(x + 40) =$ ~~P's amount~~ the no. of stickers P has.

$$x + (x + 40) + 2(x + 40) = 300$$

$$x + x + 40 + 2x + 80 = 300$$

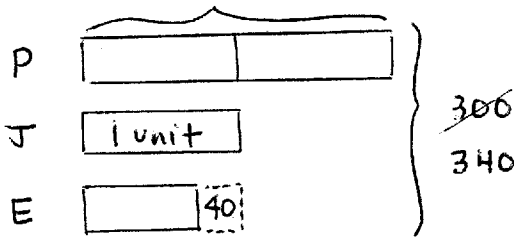
$$4x + 120 = 300$$

$$4x = 180$$

$$x = 45$$

$$\text{So P has } 2(45 + 40) = 2(85) = 170 \text{ stickers}$$

Method 2 ?



↑
 if we added 40 on to E
 so they'd all have equal bars,
 then there would be $300 + 40$
 or 340 stickers
 (if E had 40 more, there'd be 340 total)

$$300 + 40 = 340$$

$$4 \text{ units} = 340$$

$$1 \text{ unit} = 340 \div 4 = 85$$

$$P \text{ has } 2 \times 85 = 170 \text{ stickers}$$

Using algebra

Let t = J's amount

Then $2t$ = P's amt

and $t - 40$ = E's amt

$$t + 2t + (t - 40) = 300$$

$$4t - 40 = 300$$

$$4t = 340$$

$$t = 85$$

$$\text{So P has } 2(85) = 170 \text{ stickers}$$

b) (5A, p25) Problem 8

Let b = cost of book (in dollars)

Then $2b$ = cost of magazine

and $3b$ = cost of three books

$$2b + 3b = 25 \quad \leftarrow \text{he spent } \$30 - \$5 = \$25$$

$$5b = 25$$

$$b = 5$$

So each book costs \$5

and the magazine costs 2(\$5) or \$10

(5A, p25) Problem 10

Let x = amt PAUL spent in dollars

Then $3x$ = amt HENRY spent in dollars

Since John and Paul spent \$45 altogether,

then $45 - x$ = amt JOHN spent in dollars

Since John and Henry spent \$65 altogether,

then $65 - 3x$ = amt JOHN spent in dollars.

We have two expressions representing John's amount, so set them equal to each other

$$45 - x = 65 - 3x$$

Add $3x$ to both sides

$$45 + 2x = 65$$

$$2x = 20$$

$$x = 10$$

PAUL spent \$10

HENRY spent 3(\$10) or \$30

* JOHN spent

$$45 - 10 \text{ or } \$35$$

(or $65 - 3(10)$ or \$35)

Alternatively, let J = amt JOHN spent in dollars.

We know

$$J + x = 45$$

$$J + 3x = 65$$

$$\text{So } \boxed{J + x} + x + x = 65$$

$$\text{But } J + x = 45$$

$$\text{So } \underline{45} + x + x = 65$$

$$2x = 20$$

$$x = 10$$

PAUL spent \$10

HENRY spent
3(\$10) or \$30

JOHN?

$$J + 10 = 45$$

So JOHN spent \$35

9) a) (6A, p7-11)

Prob 1 13; $x + 8$ (years old), B

Prob 2 \$8; $m - 2$ (dollars), B

Prob 3 $w - 5$ (kg), B ; 3 kg, E

Prob 4 $4n$ (apples), B ; 32, E ; 44, E

Prob 5 $3p$ (chicken wings), B ; 21, E

Prob 6 $8k$ (square cms), B

Prob 7 12; $\frac{x}{8}$ (marbles per box), B

Prob 8 \$4; $\frac{m}{3}$ (dollars), B

Prob 9 ALL E

10, 16, 9, 0, 24, 60, 3, 1, $\frac{1}{2}$

Prob 10 $5x + 3$ (marbles), B ; 53, E

Prob 11 7, E

Prob 12 $\frac{50-y}{2}$ (dollars), B ; \$19, E

Prob 13 4, E

Prob 14 7, E ; 10, E

10) (c) (6A, P14)

6(a) $\$(y+1)$

(b) $\$(8+1) = \9

7(a) $3x \text{ m}$

(b) $3.9 \text{ m} = 27 \text{ m}$

8(a) $(3x+4)$ years old

(b) $3 \cdot 4 + 4$
 $= 12 + 4 = 16$ years old

9(a) $\frac{50-y}{2}$

(b) $\frac{50-38}{2} = \frac{12}{2} = 6$ cartons

11)

(a) Each packet of baking powder can be used to bake 12 cookies.

How many cookies can be baked from c packets?

(b) Jane bought r blouses at $\$13$ each and s T-shirts at $\$3$ each at a sale. How much did she spend in total?

(c) Jack saved $\$2$ a day for w days. If he originally had $\$13$ in his piggy bank, how much money does he have now?

(d) The distance between 2 cities is 240 miles. John drove x miles in the morning. How long more will it take him to reach his destination if his average speed is 50 miles per hour?