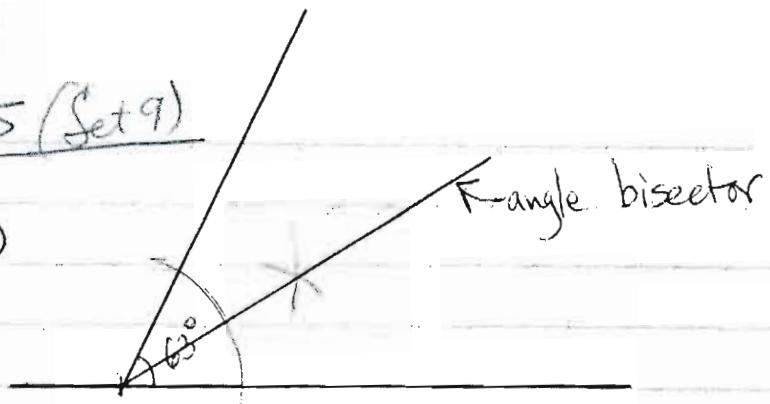
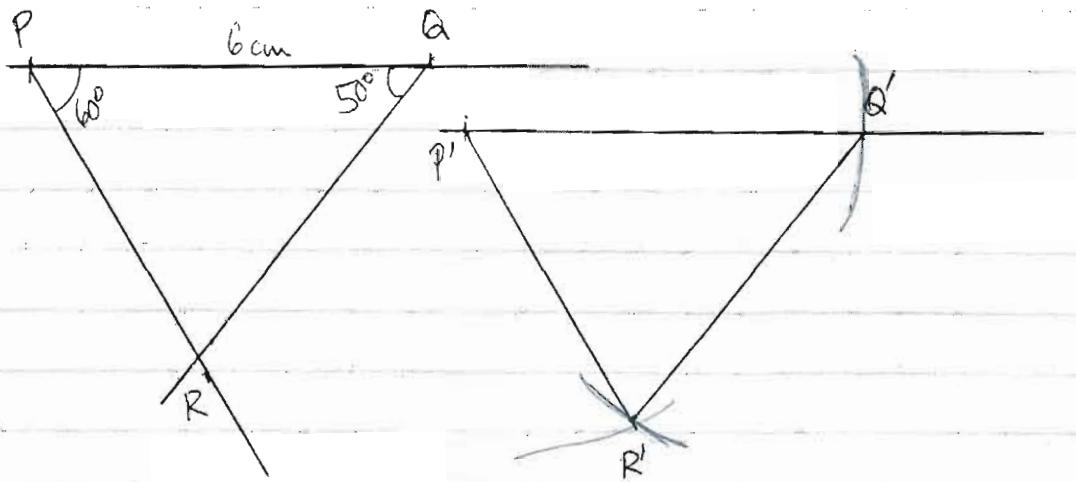


Q.5 (Set 9)

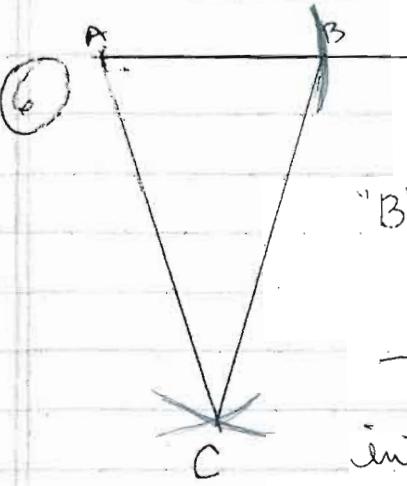
(4)



(5)



(6)



On a line, mark a pt A.

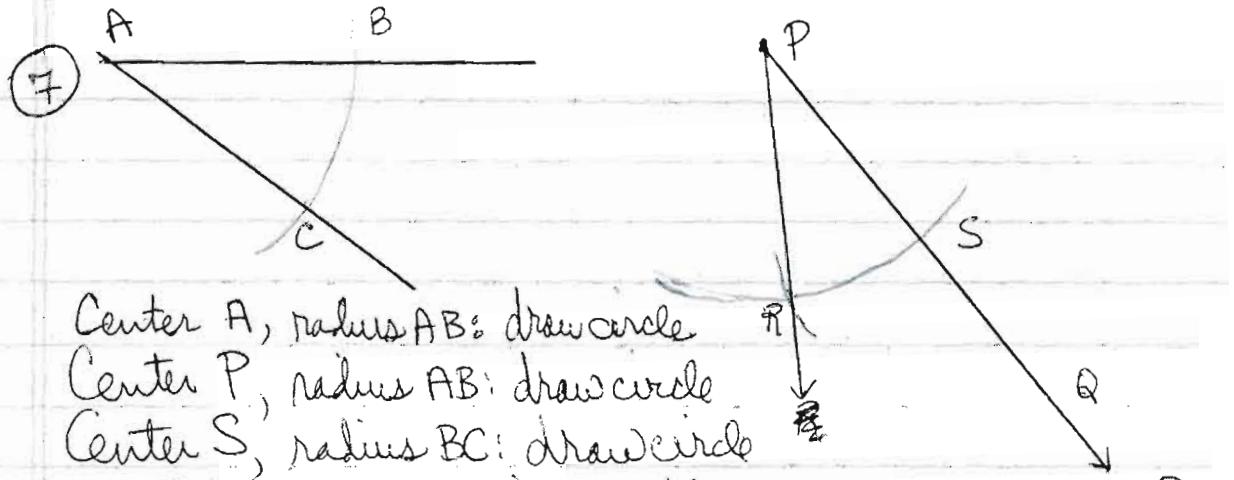
Center A, radius AB: draw circle. Mark "B" where the circle intersects the line.

Center A, radius CD: draw circle

Center B, radius CD: draw circle

Mark ~~the~~ pt where these circles intersect C. Using st-edge, draw  $\overline{AC}$  and  $\overline{BC}$ .

$\triangle ABC$  is isosceles with base of length  $\overline{AB}$  and legs of length  $\overline{CD}$ .



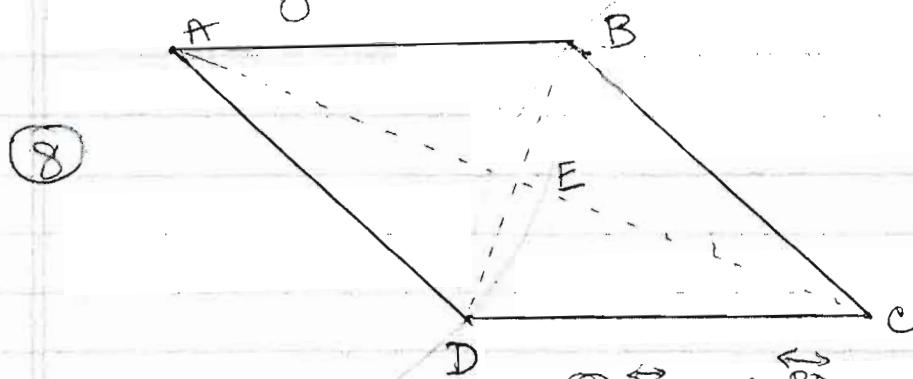
Center A, radius AB: draw circle

Center P, radius AB: draw circle

Center S, radius BC: draw circle

Intersection of circles with centers P and S, is R

Draw ray PR.



(a)  $\overleftrightarrow{AC}$  and  $\overleftrightarrow{BD}$  are lines of symm.

(b) Fold B onto D: This is a fold along  $\overleftrightarrow{AC}$  such that  $\overline{AB}$  lies on  $\overline{FD}$  and  $\overline{BC}$  lies on  $\overline{DC}$

Similarly, fold A onto C: This shows that  $\overleftrightarrow{BD}$  is a line of symmetry.

(c) Yes, + Yes, bisect each other.

$\overleftrightarrow{BD}$  and  $\overleftrightarrow{AC}$  intersect at E. The folds in (b)

show that  $\overline{BE} \cong \overline{DE}$  and  $\angle BEC \cong \angle DEC$ . Since their sum is  $180^\circ$ , each must be  $90^\circ$

Similarly, the second fold shows that  $\overline{AE} \cong \overline{CE}$  and  $\angle AEB \cong \angle CEB \cong 90^\circ$